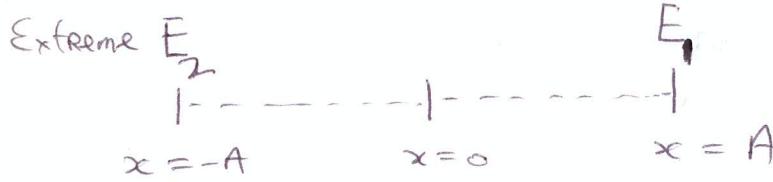


THE KINEMATICS OF SHM

(2)

A KEY NUMBERS
IN USING FORMULAE



x is displacement from mean position.

$a = -\omega^2 x$ $x = A \sin \omega t$ $v^2 = \omega^2 (A^2 - x^2)$ $T = \frac{2\pi}{\omega}$	[or $A \cos \omega t$]
---	--

where

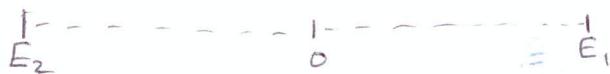
ω , constant, indicates the frequency of oscillations

A , constant, defines the amplitude (max. displacement) of the particle

v , speed of particle at any point.

T , periodic time; time to execute a complete oscillation

NOTES



REGION	DISPLACEMENT, x	ACCELERATION	VELOCITY	SPEEDING/SLOWING
$0 \rightarrow E_1$	+	-	+	DECELERATING
$0 \leftarrow E_1$	+	-	-	Accelerating
$E_2 \leftarrow 0$	-	+	-	DECELERATING
$E_2 \rightarrow 0$	-	+	+	Accelerating

I II III IV

- ① Taking column I and II together explains why acceleration described by $a = -\omega^2 x$ is always directed towards centre. [Explains need for minus]
- ② Negative acceleration doesn't mean the particle is slowing down [as it did in ALM]
To decide if particle is slowing/speeding up need to examine the SIGNS of acc and vel together. [See columns II, III, IV] LIKE SIGNS \Rightarrow speeding up, UNLIKE SIGNS \Rightarrow slowing